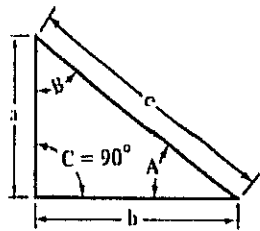


# SOLUTION OF TRIANGLES

## Solution of Right-angled Triangles



As shown in the illustration, the sides of the right-angled triangle are designated  $a$  and  $b$  and the hypotenuse,  $c$ . The angles opposite each of these sides are designated  $A$  and  $B$ , respectively.

Angle  $C$ , opposite the hypotenuse  $c$  is the right angle, and is therefore always one of the known quantities.

Sides and Angles Known	Formulas for Sides and Angles to be Found		
Side $a$ ; side $b$ .....	$c = \sqrt{a^2 + b^2}$	$\tan A = \frac{a}{b}$	$B = 90^\circ - A$
Side $a$ ; hypotenuse $c$ ....	$b = \sqrt{c^2 - a^2}$	$\sin A = \frac{a}{c}$	$B = 90^\circ - A$
Side $b$ ; hypotenuse $c$ ....	$a = \sqrt{c^2 - b^2}$	$\sin B = \frac{b}{c}$	$A = 90^\circ - B$
Hypotenuse $c$ ; angle $B$ ...	$b = c \times \sin B$	$a = c \times \cos B$	$A = 90^\circ - B$
Hypotenuse $c$ ; angle $A$ ...	$b = c \times \cos A$	$a = c \times \sin A$	$B = 90^\circ - A$
Side $b$ ; angle $B$ .....	$c = \frac{b}{\sin B}$	$a = b \times \cot B$	$A = 90^\circ - B$
Side $b$ ; angle $A$ .....	$c = \frac{b}{\cos A}$	$a = b \times \tan A$	$B = 90^\circ - A$
Side $a$ ; angle $B$ .....	$c = \frac{a}{\cos B}$	$b = a \times \tan B$	$A = 90^\circ - B$
Side $a$ ; angle $A$ .....	$c = \frac{a}{\sin A}$	$b = a \times \cot A$	$B = 90^\circ - A$